## Where does the water come from?

Jonathan Lunine, LPL/UA Alessandro Morbidelli, Obs Côte d'Azur John Chambers, NASA Ames Francois Robert, MHN, Paris Giovanni Valsecchi, CNR-IAS Rome Jean-M Petit, Obs Côte d'Azur Kim Cyr, NASA JSC Laurie Leshin, ASU Tom Quinn, UW Sean Raymond, UW

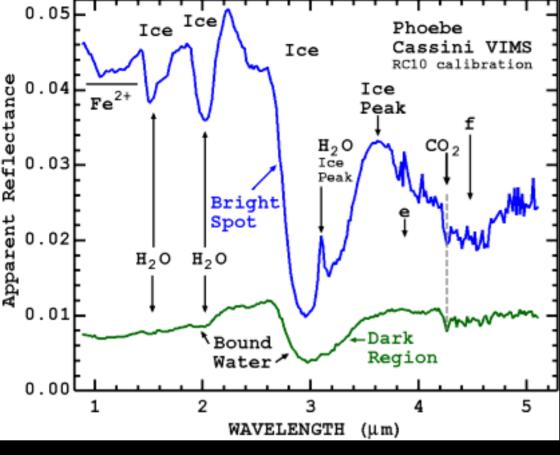




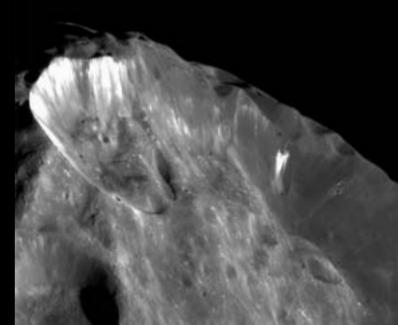
## Part I. Where did Earth acquire its water?

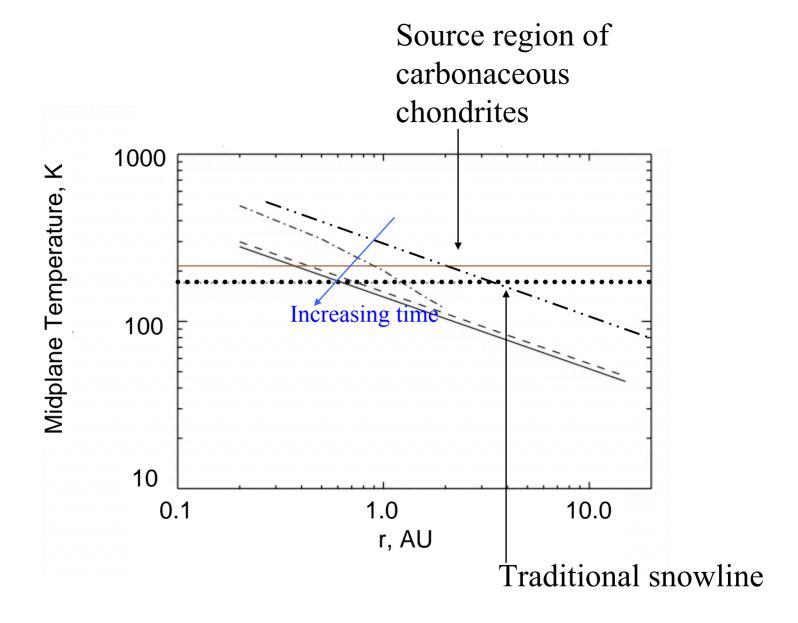
- •Liquid water has been present on Earth since  $\geq 4.3$  billion yrs ago
- •Mass of water in our ocean is 1.5 x  $10^{24}$ g or 2 x  $10^{-4}$ M<sub>Earth</sub>  $\equiv 1$  ocean
- •Estimated mass of water in the mantle: 0.5-4 oceans
- •Some argue for up to 50 oceans of water in primitive Earth



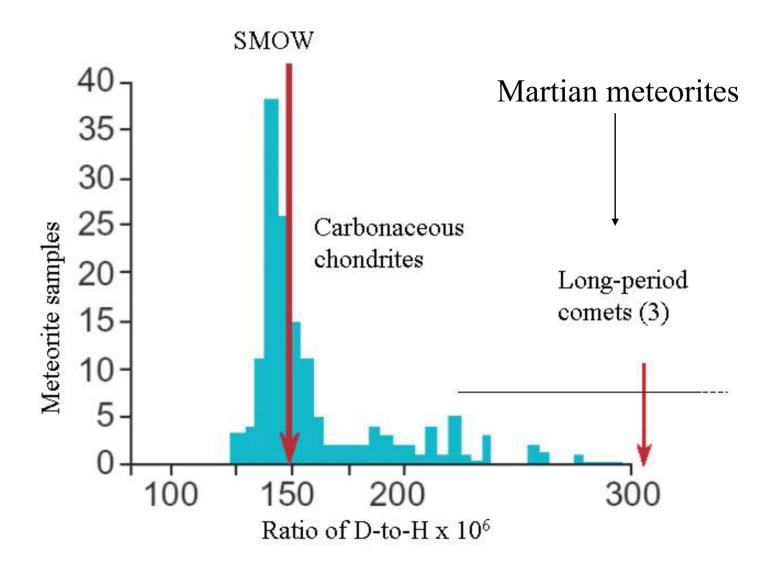


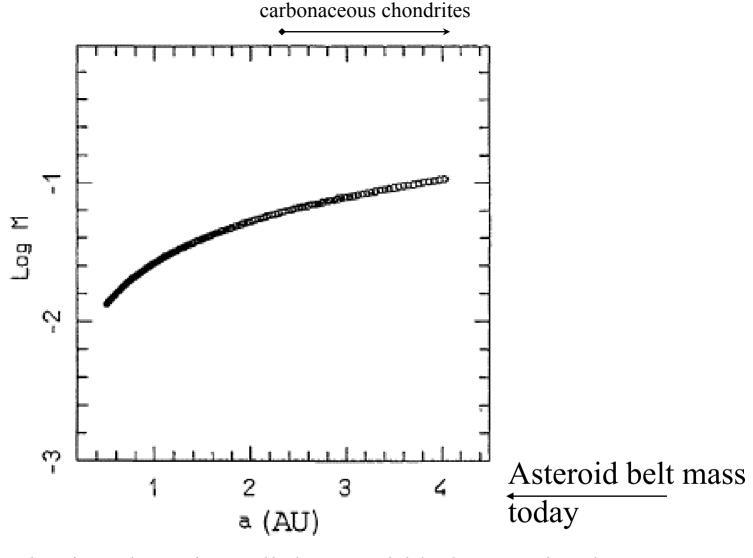
Saturn's Phoebe—example of a water-rich object from beyond the snowline





Sun's protoplanetary disk

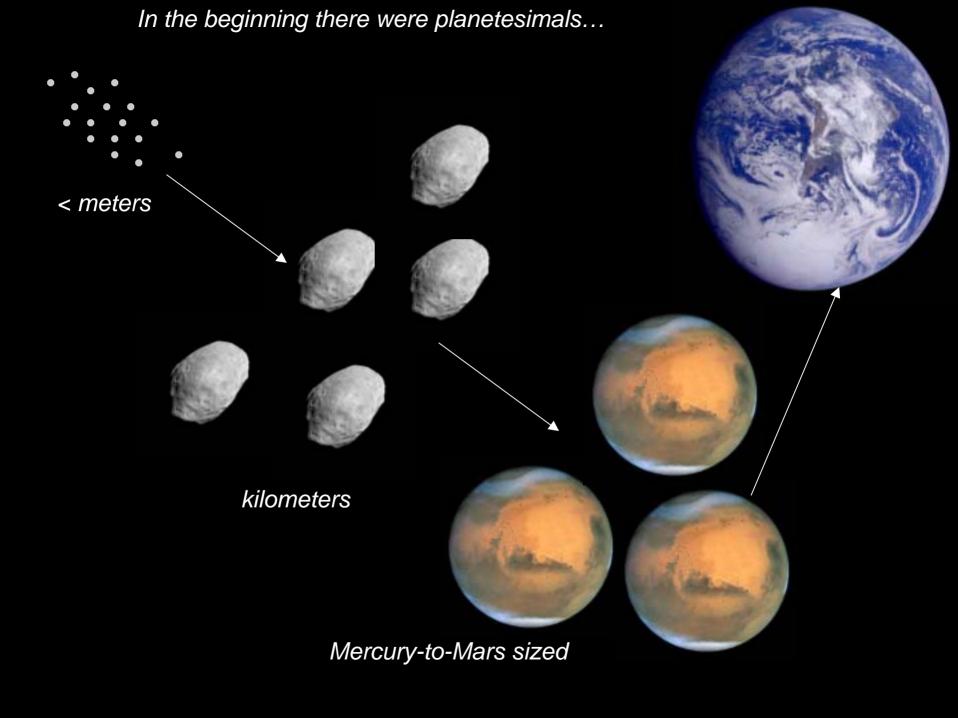




Hypothesis: The primordial asteroid belt contained three orders of magnitude more material than it does today

## Sources of water

- Planetesimals at 1 AU: Requires a cold nebula or adsorption of water onto grains prior to growth
- Planetary embryos at 1 AU: Same, and Moon was dry
- Comets, Phoebes: D/H in comets does not match that in Earth's oceans
- Snowline (low D/H) comets: none known (yet)
- Planet migrated inward: OK, but no mechanism post-gas
- Asteroids: Must be carbonaceous to be wet; limit 1-3%  $M_E$ ; not enough in the present belt
- Embryos in primordial asteroid belt: Inferred, and same limit on mass



Symplectic integrator—the basic tool for tracking the evolution of large bodies
--Chambers, *MRAS* **304**, 793 (1999); *AJ* **126**, 1119 (2003)--

Sympl integ designed to solve Hamilton's eqns for N bodies:

$$\frac{dx_i}{dt} = \frac{\partial H}{\partial p_i}, \quad \frac{dp_i}{dt} = -\frac{\partial H}{\partial x_i} \qquad \begin{array}{c} x_i, p_i \text{ the position and momentum of i;} \\ H \text{ the system Hamiltonian} \end{array}$$

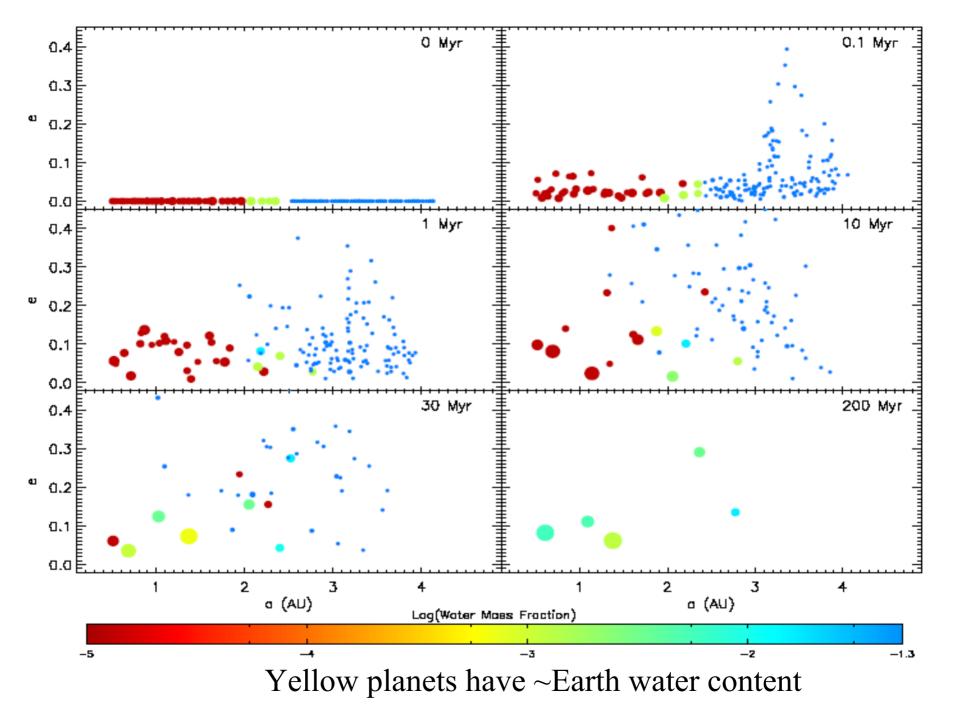
Any quantity q can be expressed as  $dq/dt = \{q,H\} = Fq$ ;  $\{\}$ =poisson brackets; hence  $q(t+\tau) = e^{\tau F}q(t)$ 

In practice, divide the Hamiltonian into pieces (e.g.,  $H=H_A+H_B$ ) so that  $q(t+\tau)=e^{\tau A}e^{\tau B}q(t)$ ; where A,B are the "F" operators corres to H<sub>A</sub>, H<sub>B</sub> e.g.;

H<sub>A</sub>: each body moves on unperturbed Kepler orbit around Sun;

 ${\rm H}_{\rm B}\,$ : each body is fixed but accelerated by perturbations due to other bodies.

Symplectic integrators conserve energy well over long *t* and are very fast for problems involving a large central body.



• In many simulations, the Earth accretes at least one large planet from the asteroid belt. <u>Jupiter is essential for generating large planets and stirring orbits.</u>

- •10% or less of the Earth's mass is of main belt origin. 5% or less of the Earth's mass is from the water-rich outer belt.
- •Planets formed in the asteroid belt are added throughout the accretion process, and can provide 3-5 oceans worth of water--with D/H ~ SMOW.



## Part II. Sources for Mars

- •In all of the (gas-free) simulations analyzed, the body at  $\sim 1.5$  AU is struck by a big water-rich embryo-- but the final planet size is too big to be Mars.
- •So Mars apparently was not struck by such an embryo--a less likely but not improbable outcome.
- •Then most or all of Mars' water is from small asteroids and comets. We calculate the probability of impact of smaller asteroids and of the comets on Mars during/after its formation.
- •These calculations lead to an amount of water added to Mars between 0.06-0.27 oceans.

Part III: Extrasolar Planetary accretion is a stochastic process, since much of the mass were contained in a small number of large bodies.



If bodies formed in the asteroid belt, each of the inner planets could have been hit by a different number N of embryos (N=0,1,2,3,...).

What might this say about the diversity of architectures of planetary systems?



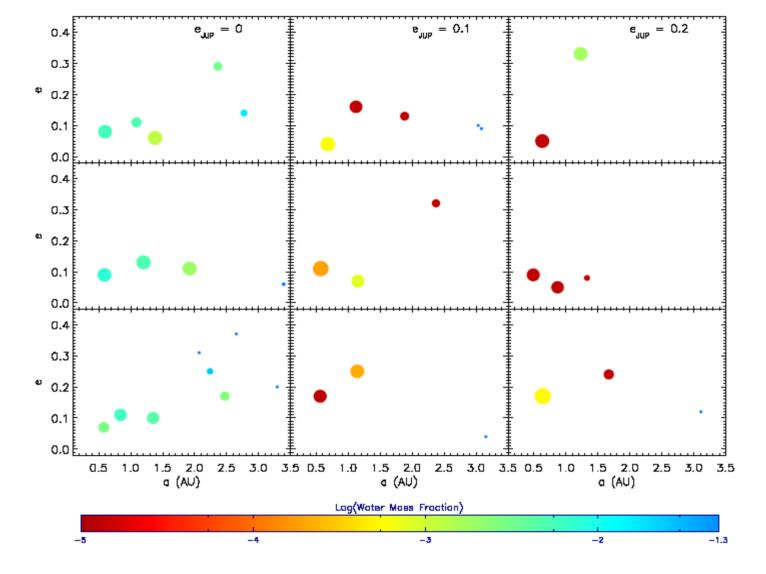
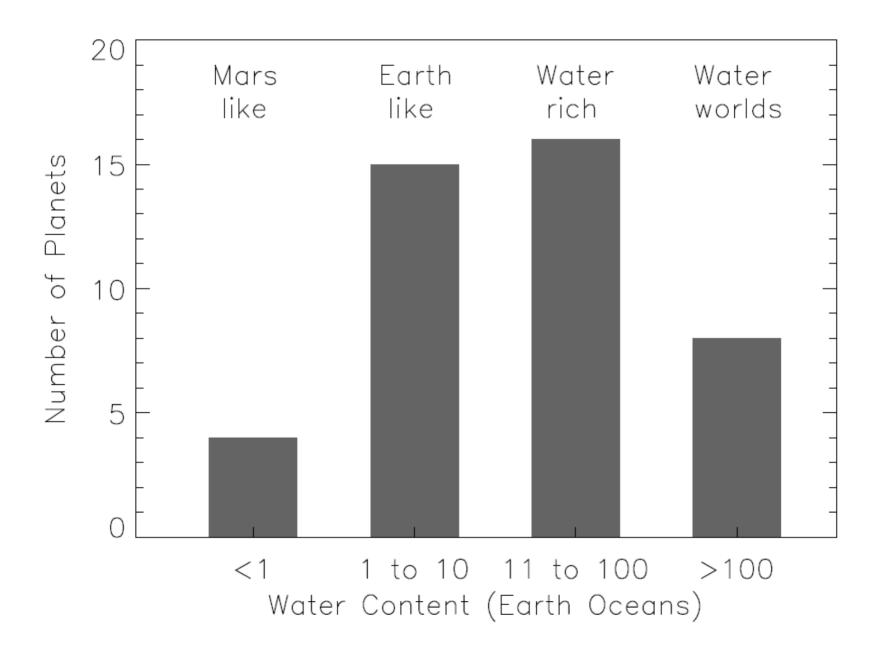
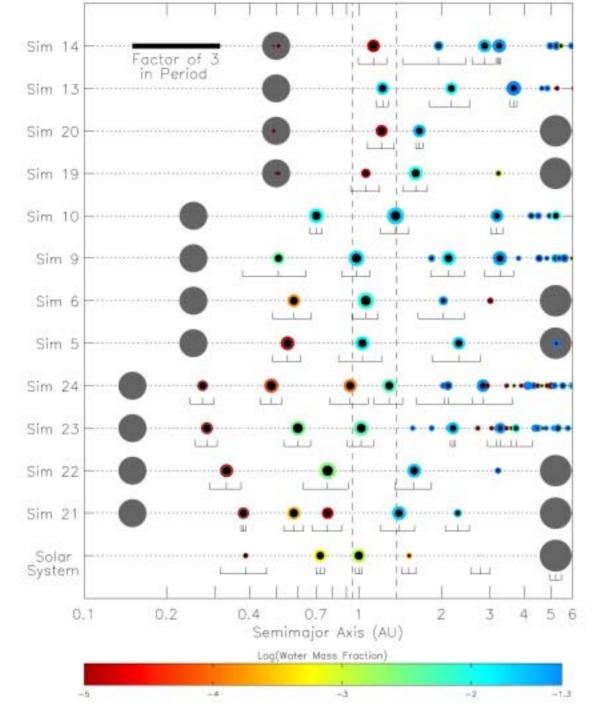


Fig. 6.— The final configuration of nine planetary systems with identical initial conditions  $(a_J = 5.2 \text{ AU}, M_J = M_{J,r}, M_{planetesimal} = 0.01 \text{ M}_{\oplus})$  apart from Jupiter's initial eccentricity, which is the same for all simulations in a given column. Note the dramatic decline in volatile content for  $e_J$  greater than zero.





Simulations by Raymond et al. in the presence of hot Jupiters.

Again, a "yellow" planet has Earth water content

